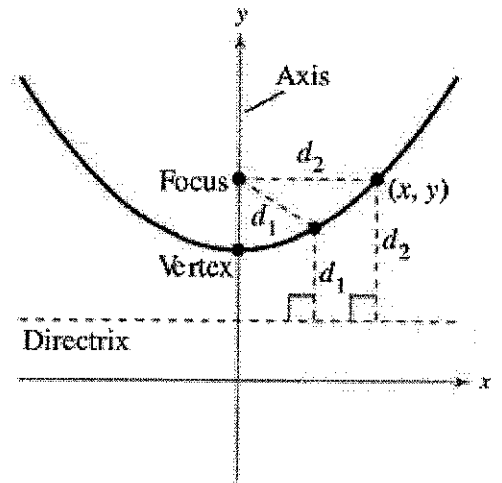


9.1 Notes: Parabolas

Parabola: The set of all points  $(x, y)$  in a plane that are \_\_\_\_\_ from a fixed line called the \_\_\_\_\_, and a fixed point called the \_\_\_\_\_.

**Info about Parabolas**

<b>Standard Equation</b>	$(x - h)^2 = 4p(y - k)$	$(y - k)^2 = 4p(x - h)$
<b>Axis of Symmetry (AOS)</b>	$x = h$	$y = k$
<b>Vertex</b>	$(h, k)$	$(h, k)$
<b>Focus</b>	$(h, k + p)$	$(h + p, k)$
<b>Directrix</b>	$y = k - p$	$x = h - p$
<b>Direction of Opening</b>	Upward if $p > 0$ Downward if $p < 0$	Right if $p > 0$ Left if $p < 0$
<b>Latus Rectum (LR)</b>	$ 4p $	$ 4p $



- The midpoint between the focus and the directrix is the \_\_\_\_\_.
- The line passing through the focus and the vertex is the \_\_\_\_\_.
- The \_\_\_\_\_ and the axis of symmetry are always perpendicular.
- The \_\_\_\_\_ is a line segment perpendicular to the axis of symmetry that passes through the \_\_\_\_\_ and has endpoints on the parabola.
- To recognize that the equation of a conic is a parabola, notice that there is \_\_\_\_\_.

Write the standard form of the equation for each parabola. Find and graph all of the requested information.

<p>1. <math>y = x^2 - 12x + 30</math></p>	Opens:	
	Vertex:	
	AOS:	
	Focus:	
	Directrix:	
	LR:	

2.  $y^2 - 4x + 2y + 5 = 0$

Opens:

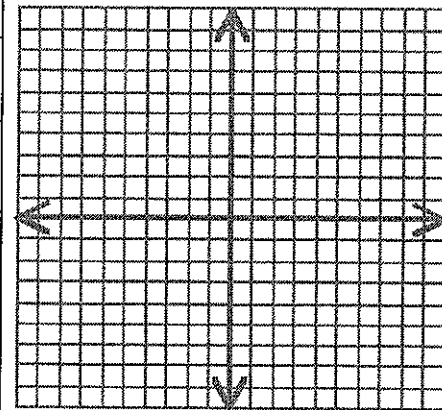
Vertex:

AOS:

Focus:

Directrix:

LR:



3. The focus is at  $(2, 2)$  and the equation of the directrix is  $x = -2$ .

Opens:

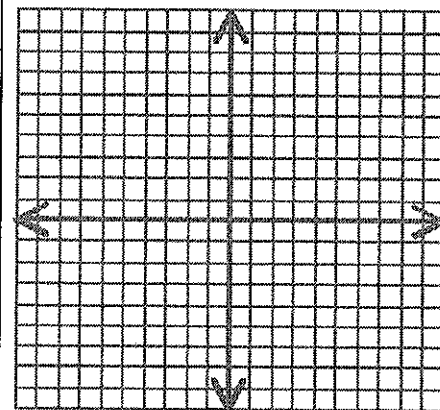
Vertex:

AOS:

Focus:  $(2, 2)$

Directrix:  $x = -2$

LR:



4. The vertex is at  $(-2, 0)$  and the coordinates of the focus are  $(-2, \frac{1}{2})$ .

Opens:

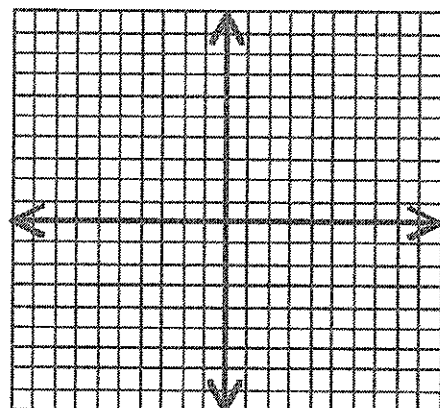
Vertex:  $(-2, 0)$

AOS:

Focus:  $(-2, \frac{1}{2})$

Directrix:

LR:



Find the standard equation of the parabola; then find the coordinates of the vertex. Determine if the graph of the parabola will be a function.

5.  $y^2 + 2y - x + 6 = 0$