## One-Sample t Tests

1. When working properly, a soda machine will dispense soda with a mean of $\mu=12$ ounces. A quality control engineer is concerned that the machine is over filling the cups. He draws a random sample of 8 cups and records the following amounts:
11.88
12.65
12.49
12.14
12.25
12.55
12.08
11.78

Is there evidence at the $5 \%$ level that the machine is over filling the cups?
P: State what the parameter of interest is representing in this problem.

H: State hypotheses in words and symbols.

A: Verify the assumptions/conditions.

- Random.
- Normal.
- Independent.
$\mathbf{N}$ : Name the appropriate inference procedure.
T: Carry out the selected procedure. Find the test statistic.

$$
\mathrm{t}=\frac{\overline{\mathrm{x}}-\mu_{0}}{s / \sqrt{n}}
$$

O: Obtain the corresponding $P$-value based on the test statistic and $H_{a}$.

M: Make a decision to reject or fail to reject $H_{0}$.

S: State your conclusion in the context of the problem.
2. A hospital nurse is conducting a study about sleeping habits of four-year-olds. She wonders if they get more sleep than the recommended 8 hours per night. To test her claim, she collects a simple random sample of 12 four-year-olds and asks their parents how much sleep they got last night. Suppose the distribution of the amount of sleep for all four-year-olds is approximately Normal. The results are given below.

| Child | Hrs of sleep |
| :---: | :---: |
| 1 | 9.25 |
| 2 | 8.25 |
| 3 | 6.50 |
| 4 | 8.50 |
| 5 | 7.50 |
| 6 | 9.25 |
| 7 | 9.00 |
| 8 | 8.00 |
| 9 | 8.25 |
| 10 | 9.75 |
| 11 | 10.00 |
| 12 | 9.25 |

Conduct an appropriate test of significance (at the $10 \%$ level) to decide if the data support the nurse's claim that four-year-olds average more than 8 hours of sleep per night.

